

## HW#11: PRESSURE

- The deepest point in the Pacific Ocean is the Mariana Trench, about 11 km deep. The pressure at the ocean floor is huge,  $\sim 1.13 \times 10^8 \text{ N/m}^2$ .
  - Calculate the change in Volume of  $1.00 \text{ m}^3$  of water carried from the surface to the bottom of the Pacific. ( $B_{\text{water}} = 0.210 \times 10^{10} \text{ Pa}$ )  $[-0.05376 \text{ m}^3]$
  - The density of water at the surface is  $1.03 \times 10^3 \text{ kg/m}^3$ . Determine its density at the bottom.  $[1089 \text{ kg/m}^3]$
  - Is it a good approximation to think of water as **incompressible**?
- On the Food Network one of the Thanksgiving episodes showed how to make gravy. The host poured the drippings from the roasted turkey into a cylindrical container, where the gelatin (density =  $.92 \text{ g/cm}^3$ ) separated from the fat (density =  $.68 \text{ g/cm}^3$ ). If there was 20 cm of gelatin and 10 cm of fat, determine the pressure at:
  - the top of the cylinder. [atmospheric pressure]
  - between the fat and the gelatin.  $[1.020 \times 10^5 \text{ Pa}]$
  - at the bottom of the gelatin.  $[1.038 \times 10^5 \text{ Pa}]$
- When you suddenly stand up after lying down for a while, your body may not compensate quickly enough for the pressure changes, and dizziness may result. If the gauge pressure of blood (density =  $1.06 \text{ g/cm}^3$ ) at your heart is 13.3 kPa and your body does not compensate:
  - Determine the pressure at the top of your head ( $\sim 50 \text{ cm}$  above your heart)  $[8.1 \times 10^3 \text{ Pa}]$
  - Determine the pressure at feet ( $\sim 130 \text{ cm}$  below your heart)  $[2.6804 \times 10^4 \text{ Pa}]$
- A Mercury based barometer will show normal atmospheric pressure at  $\sim 76 \text{ cm}$ . Blaise Pascal constructed a barometer based on red wine (density =  $.984 \text{ g/cm}^3$ ). At what height of red wine will atmospheric be measured?  $[10.5 \text{ m}]$